

PACIFIC ACADEMY OF HIGHER EDUCATION AND RESEARCH **UNIVERSITY, UDAIPUR**

SECTION – B

Mathematical Sciences

		Ma	ax. Marks – 100
Roll No. (in figures)			
Roll No. (in words)			
Signature of the Candidate			
Signature of Invigilator's 1		2	
Instruction for Candidates	:		
Attempt all 50 questions, ea mark the correct answer as <i>A</i> in blue or black ink.	ach question carr A/B/C/D at appro	ry 02 marks. There is no negation opriate place, on the right hand s	ve marking. Please ide of the question,
Q.1 The radii of convergence	e of the power se	ries is	
(A) 1 (B) 3	(C) 2	(D) 4	()
Q.2 Ratio test fails if the			
(A) equal to 1(B) greater than 1(C) less than 1(D) none of the these			()
Q.3 If $f(z)$ is analytic within	and on a closed	contour C, and a is any point with	nin C,then
	is the statement	of	
(A) liouville's theorem(C) Cauchy's integral	formula	(B) Cauchy's theorem(D) Open mapping the	1 eorem ()

O.4 The residue of at z=ia is

A)
$$z = ia$$
 (B) $z = ia/2$ (C) $z = ia/4$ (D) $z = 2ia$ ()

Q.5 In how many different ways can the letters of the word 'CORPORATION' be arranged so that the vowels always come together?

(B) 50400 (A) 810 (C) 2880 (D) 1440 ()

Q.6 A relation between the variables which satisfies the equation and which contains as many arbitrary constants as there are independent variables in the equations is known as

- (A) Particular Integral (B) Singular integral
- (C) General integral (D) Complete integral ()

Q.7 The singular solution of the equation Y = Px + Px

(A)
$$y-k=4ax$$
 (B) $(y+k)2=4ax$
(C) $(y-k)2=4ax$ (D) $y+k=4ax$ ()

Q.8 In general, singular solution of the equation in the form

(A) $f(x, p, c)=0$	(B) $f(y,p,c)=0$		
(C) f (x,y,c) =0	(D) $f(x,y,p)=0$	()

Q.9 Iteration method based on first degree equation is

(A) Newton Raphson method (B) Bisection method (C) Lin-Bairstow's method (D) Graphical method

Q.10 The Rate Of convergence of Bisection method is

(B) 3

(A) 2

(C) 1.618 (A) 1 (B) 3/2 (D) $\frac{1}{2}$)

) (

()

Q.11 Simpson's 3/8 can be applied when the range is divided into a number of subintervals which must be a multiple of

(C) 6

Q.12 The set of all even permutation of degree n is a group of order (A) n! (B) n!/2(C) n (D) (n-1)!) (

(D) 4

Q.13 Every finie group is isomorphic to some permutation group is a statement of

(A) cayley's theorem(C) Chinese Remainder t	heorem	(B) Sylow theorem(D) None of these	()
Q.14 A mapping f of a ring R	conto a ring	R' is called homomorphism , if for each a R, b	R	L-
(A) $f(a+b) = f(a) + f(b)$ (C) $f(a.b) = f(a).f(b)$		(B) $f(a+b) = f(a) - f(b)$ (D) $f(a+b) = f(a) + f(b)$ and $f(a.b) = f(a).f(b)$	()
Q.15 An ideal	which is a p	proper ideal of ring Z is a prime ideal iff		
(A) P is prime(C) P is a multiple of 3	(B) P is (D) P is e	odd even	()
Q.16 If the matrix A = then A (A) Hamitian matrix (C) Unitary matrix Q.17 Let A be a square matrix	is (B) (D and A ^t be it) Skew-Hamitian matrix) None of these ts transpose matrix then A- A ^t ,is	()
(A) Symmetric matrix(C) Null matrix	(B) (D)	Skew-Symmetric matrix) Identity matrix	()
Q.18 If $A =$ then is (A) 0 (B) 1	(C) 2	(D) Not defined	()
(A)Inconsistent (C) consistent and have many	(E solution (D	B) consistent and have unique solutionD) None of these	()
Q.20 For differentiability of a f(A) Sufficient(C) Sufficient and Necessa	function, cor	(B) Necessary (D) None of these	()
Q.21 If $f(x+y) = f(x).f(y)$ and f	f(5)=2, f'(0)	= 3 then the value of $f'(5)$ is		
(A) 0 (B) 3	3 (C)	6 (D) 5	()

Q.22 The Complete Integral of the equation z = pq is

(A)
$$yz = ax + 2 + b$$
 (B) $(z-ay) = b(x^2-a^2)$
(C) $2 = ax + y + c$ (D) $2 = yx + z + c$ ()

Q.23 The zero of the polynomial equation is the value of x where the graph of cross the (A) x exists (B) x exists (C) z exists (D) x exists and x exists (A)

- (A) x-axis (B) y-axis (C) z-axis (D) x-axis and y-axis ()
- Q.24 is equal to
 - (A) 0 (B) 1 (C) -1 (D) ()

Q.25 The domain of a distribution function is

- (A) (0,) (B) (-, 0) (C) (0, 1) (D) (-,) ()
- Q.26 Moment generating function about a point 'a'is..... times moment generating function about origin
 - (A) e^{at} (B) e^{t} (C) e^{-at} (D) $e^{t/a}$

Q.27 If a function f(z) is analytic for all values of finite value of z, and is bounded, is constant is a statement of

(A) Cauchy's theorem(C) Morea's theorem	(B) Taylor's theorem(D) Liouville's theorem	()
Q.28 The optimal number of orders per y	year increases when		
(A) Price increase	(B) Carry cost decreases	(``
(C) Total annual rupee value decrease	es (D) None of the above	()
Q.29 From the following which is non p	parametric test		
(A) Chi-square -test (B) t-test	(C) z-test (D) F-test	()

Q.30 Which of the following is not true of the simplex method

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1	Λ 1) Ateach	iteration	n the ob	Mentive	value	Alther	ctave th	ne came or	improved
L	\mathbf{n}	η πι υαυπ	inclation			value	CILICI	stays th	ic same or	miproves.
•	. /			,				2		

(B) it indicates an unbounded or infeasible problem.

(C) it signals optimality,

(D) it converges in at most m steps, where m is the number of constraints.

Q.31 Which of the following statements is false?

- (A) The *t* distribution is symmetric about zero
- (B) The *t* distribution is more spread out than the standard normal distribution
- (C) As the degrees of freedom get smaller, the *t*-distribution's dispersion gets smaller
- (D) The *t* distribution is mound-shaped

Q.32. For statistical inference about the mean of a single population when the population standard deviation is unknown, the degrees for freedom for the t distribution equal n-1 because we lose one degree of freedom by using the:

- (A) Sample mean as an estimate of the population mean
- (B) Sample standard deviation as an estimate of the population standard deviation
- (C) Sample proportion as an estimate of the population proportion
- (D) Sample size as an estimate of the population size

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Q33. In testing the hypotheses

<<<EQUATION>>>Null hypothesis: mu = 200

<<<EQUATION>>>Alternative hypothesis: mu less than 200

the sample mean is found to be 120. The null hypothesis:

- (A) should be rejected (B) should not be rejecte
- (C) should be rejected only if n > 30 (D) none of the above answers is correct ()

Q.34. The arrival of customers (with no departure) in system, in Queueing theory can be stated as

(A) the pure birth process	(B) the pure death process		
(C) both (a) & (b)	(D) neither (a) nor (b)	()

Q.35. If arrival rate is 3 customers/day and service rate is 5 customers/day for M/M/1 queueing systems. The expected number of customers in the system at certain day is

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Q.36. If the interarrival time is exponential with mean $1/\lambda$ then the number of arrivals in (0, t) is

(A) poisson distributed	(B) exponential distributed		
(C) binomial distribute	(D) None of these	()

Q.37 In how many ways can 5 person be seated at a round table conference

(A) 100 (B) 120 (C) 103 (D) 150 ()

(A) r = s(B) r + s = n(C) either r = s or r + s = n(D) none of these) (Q.39 In the production lot size model, increasing the rate of production (A) Increase the optimal number of orders to place each year. (B) Does not influence the optimal number of orders. (C) Decrease the optimal number of orders to place each year (D) None of the above) (Q.40 A queue is formed when (A)Customers wait for services (B) Service facilities stand idle and wait for customers (C) Either A or B (D) Both A and B) (Q.41 characterstics of queues such as "expected number in the system" (A) Are relevant after the queue has reached a steady state (B) Are probabilistic statement (C) Depend on the specific model (D) All of the above () Q.42 An unbounded feasible region (A) Arises from an incorrect formulation (B) Means the objective function is unbounded (C) Neither of the above (D) Both A and B) (Q.43 The terms in the sequence 6, 2, -4, -6, -2, 4, ... can be found using which formula? (A) $a_n = a_{n-2} - a_{n-1}$, $a_1 = 6$ and $a_2 = 2$ (B) $a_n = 6 + (n-1)4$ (C) $a_n = a_{n-1} - a_{n-2}$, $a_1 = 6$ and $a_2 = 2$ (D) There is no formula that works. () Q.44 The value of the mean value theorem , if $f(x) = 2x^2 + 3x + 4$ in [1,2] is **(B)** 1 (C) 3/2 (A) 2 (D) 2/3) (

Q.45 The number of points at which the function

Q.38 If

then

is discontinuous is

	(A) 2	(B) 1	(C) 3/2	(D) 2/3		()
Q.46 A	function f defir	ned on a meas	surable set E is sa	aid to be Lebsgue inte	grable if		
(A)	U= V	(B) U = $1/V$	(C) U =	-V (D)	None of these	()
Q.47 Le we have	t f and g be any	/ two bounded	d measurable fur	actions on a set E and	c be a constant.	Ther	1
(A)				(B)			
(C)	Both A and B			(D) None of these		()
Q.48 Le	et f _i be a counta	able collection	n of measurable	function which statem	ent is false		
(A)	inf f _i is not m	easurable		(B) sup f_i is measured	rable		
(C)	lim inf f _i is m	easurable		(D) $\limsup f_i$ is me	asurable	()
Q.49 In	case of contino	ous random va	ariable probabilit	y at fixed point (say c) is always		
(A) 2 (E	8) 1	(C) 0	(D) 3		()
Q.50 Th	e variance is de	enoted by	or				
	(A)	(B)	(C)	(D)		()
